

Name: TARBOTON**GIS in Water Resources Midterm Exam**

Fall 2010

There are 3 questions on this exam. Please do all 3.

1. Basic Concepts and Geodesy

(a) Provide an example for each GIS data type that was used in our exercises. Give the name of a standard GIS data set or data source that provides information using this data type.

• **Raster**

EX. SAN MARCOS DIGITAL ELEVATION MODEL.

NATIONAL ELEVATION DATASET FROM SPANISH & USGS SERVICE

• **Polygon**

EXAMPLE. SAN MARCOS WATERSHED BOUNDARY DATASET.

NATIONAL WATERSHED BOUNDARY DATASET

• **Polyline**

EXAMPLE. SAN MARCOS STREAMS.

STREAMS OR RIVERS FROM NATIONAL HYDROGRAPHY DATASET.

• **Point**EXAMPLE. USGS GAGES, ARIPEL GAGES FROM NCDC
USGS GAGE FEATURES FROM WEB SERVICES ACCESSED IN HYDROSETUP.• **Geometric network**

A GEOMETRIC NETWORK WAS CONSTRUCTED IN EX 9 & PROVIDED IN EX 5 FOR SAN MARCOS STREAMS.

MHD PMS CONTAINS INFORMATION TO SUPPORT A
GEOMETRIC NETWORK.• **Imagery**THE BASEMAP LAYERS USED IN EX 2 INCLUDE
IMAGERY FROM Bing or ESRI. THIS IS A
GROWING STD DATA SOURCE.

The remaining parts of this question refer to the specification below that shows the parameters of the State Plane coordinate system for Nebraska.

Name:	NAD_1983_StatePlane_Nebraska_FIPS_2600_Feet
Details:	
Projection:	Lambert_Conformal_Conic
False_Easting:	1640416.666667
False_Northing:	0.000000
Central_Meridian:	-100.000000
Standard_Parallel_1:	40.000000
Standard_Parallel_2:	43.000000
Latitude_Of_Origin:	39.833333
Linear Unit:	Foot_US (0.304801)
Geographic Coordinate System:	GCS_North_American_1983
Angular Unit:	Degree (0.017453292519943295)
Prime Meridian:	Greenwich (0.000000000000000000)
Datum:	D_North_American_1983
Spheroid:	GRS_1980

(b) What map projection and earth datum is used in this coordinate system?

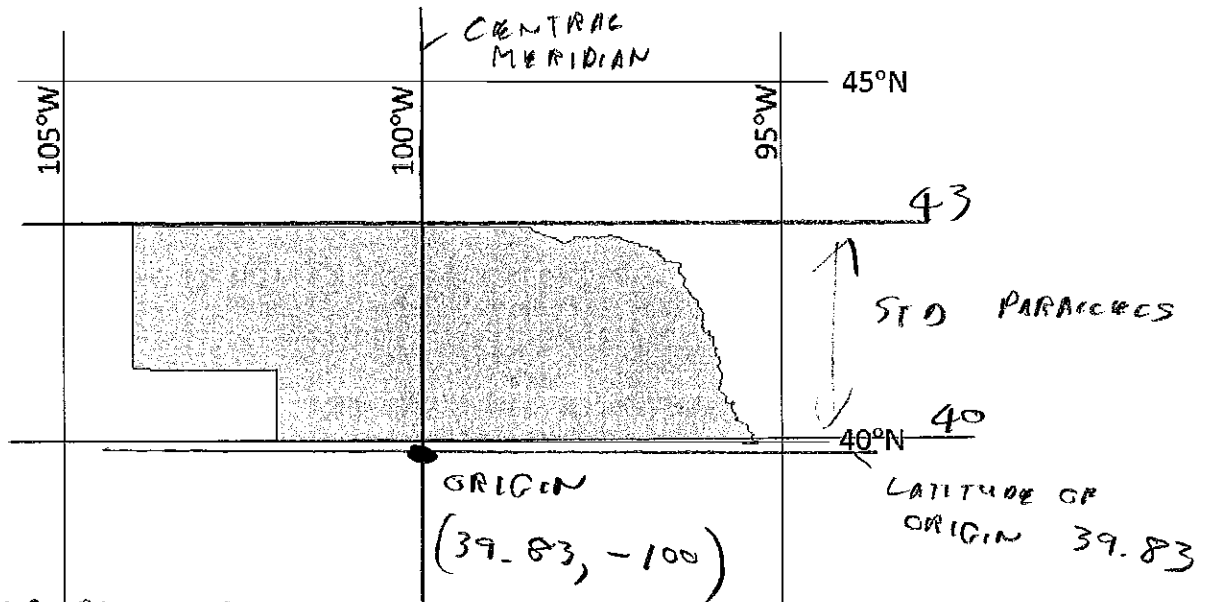
Projection:

LAMBERT CONFORMAL
CONIC

Earth Datum:

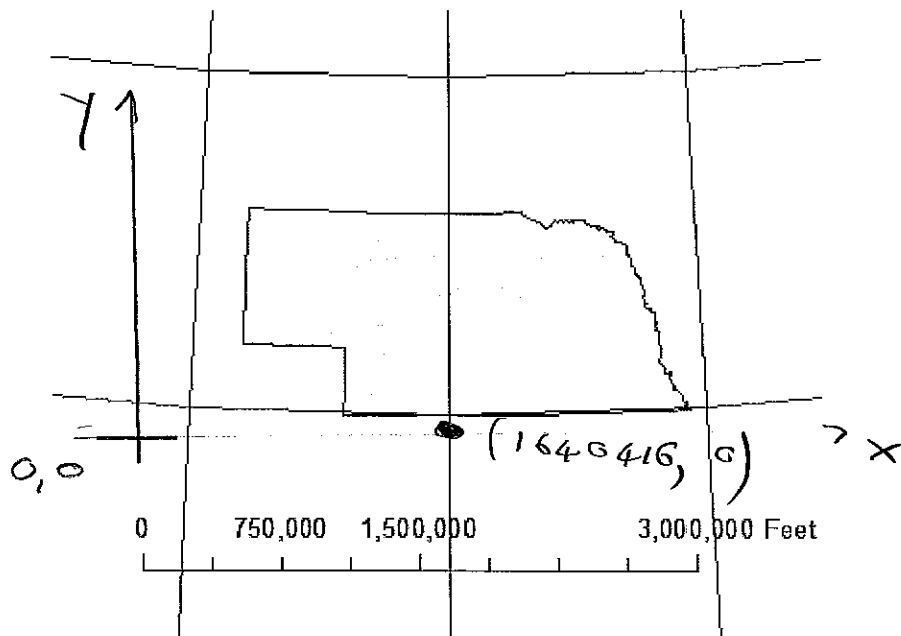
NORTH AMERICAN DATUM
OF 1983

(c) Sketch on the diagram below the locations of the Standard Parallels, the Central Meridian and the Latitude of Origin. What is the significance of the standard parallels? Put a large dot at the location of the origin of this coordinate system and label it with its (latitude, longitude coordinates)

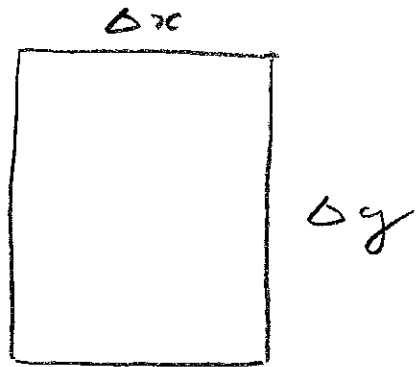


THE STANDARD PARALLELS ARE WHERE THE PROJECTION COME INTO CONTACT THE GLOBE.

(d) The map below shows same map of Nebraska redrawn in its state plane coordinate system. Redraw the dot in this map that you drew in Part (c) and label it with its Easting and Northing coordinates. Draw the Easting-Northing, or X-Y, axes of this coordinate system. Label the (0,0) point.



(e) The National Elevation Dataset has grid cells that are 1" x 1" in size. Suppose that this grid is projected into the Nebraska State Plane coordinate system. If a DEM cell is located at Lincoln, NE, whose lat-long coordinates in decimal degrees are (40.8144, -96.7078), determine the **surface area (ft²)** of the earth (square feet) that a 1" x 1" cell would cover. Assume that the radius of the earth is 20,925,392 feet. What would be the **cell size (ft)** of an equivalent square DEM cell that covers the same area?



$$\begin{aligned}\Delta y &= \frac{1}{3600} \times \frac{\pi}{180} \times r \\ &= \frac{1}{3600} \times \frac{\pi}{180} \times 20,925,392 \\ &= 101.45 \text{ ft}\end{aligned}$$

$$\begin{aligned}\Delta x &= \Delta y \cos(\text{lat}) \\ &= \Delta y \cos(40.8144) \\ &= 76.78 \text{ ft}\end{aligned}$$

$$\text{SURFACE AREA} = 7789.3 \text{ ft}^2$$

$$\text{EQUIVALENT SQUARE} = \sqrt{7789.3} = 88.26 \text{ ft}$$

2. Hydrology and Digital Elevation Models

Following is a grid of elevations in a 100 m digital elevation model.

44	46	51	57	58
45	45	52	50 51	55
46	47	56	48 51	58
52	54	55	56	54
51	53	52	54	53

PITS

- On the above grid, for the cells within the boldface highlighted box, determine **which grid cells are pits** and indicate the elevation to which they need to be raised to **fill** them.
- For the inner block of 3 x 3 grid cells indicated by the bold box determine the **D8 flow direction** and indicate this using an arrow on the diagram below.

	↖ 0.0071	← 0.07	↖ 0	
	↑ 0.02	← 0.09	↑ 0	
	↑ 0.07	↖ 0.057	↑ 0.05	

STRAIGHT

$$\frac{\Delta H}{100}$$

DIAGONAL

$$\frac{\Delta H}{100\sqrt{2}}$$

STEEPEST

Calculate the **D8 slope** for each cell within the bold box and label it by its flow direction arrow. **Circle the cell with the highest slope.**

d) Calculate the **flow accumulation** for all grid cells in the inner 3 x 3 block indicated by the bold box. Write your answers (reported in terms of the number of grid cells flowing into each grid cell) in the diagram below. In this calculation do not consider inflow from any cells outside the boldface box.

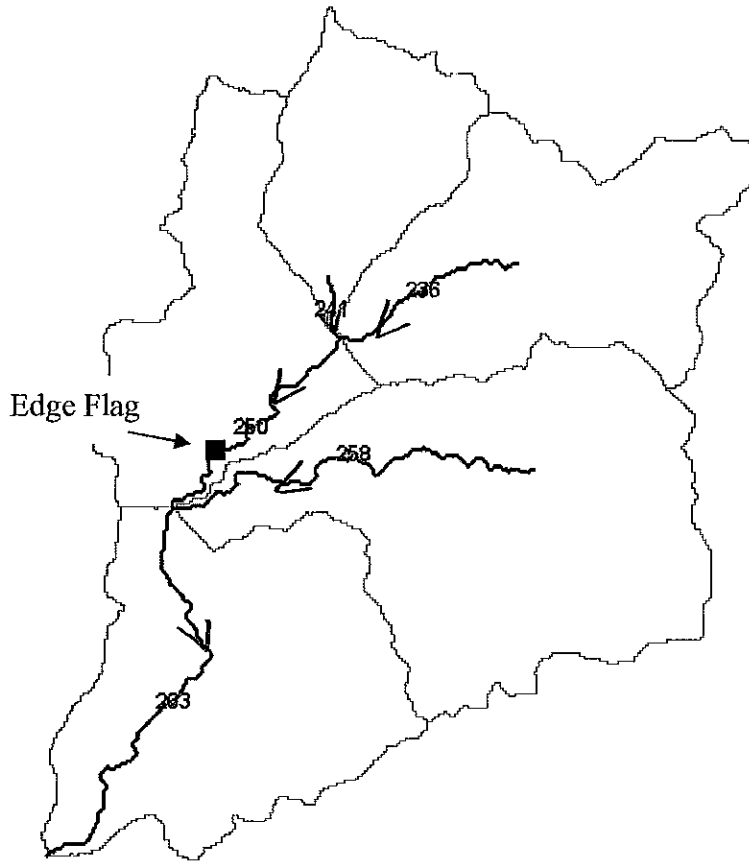
			D	C
	5	0	2	B
	3	0	1	A
	0	0	0	

MAY GET FLOW FROM A VIA PROX. B, C, D
 AND A VIA CREEK BROWN.
 MAY GET FLOW FROM A

Circle the cells whose flow accumulation values reported above are uncertain due to the possibility of being impacted by flow from outside the boldface box.

3. Stream Networks

The image below shows a stream network and catchments delineated from a digital elevation model. Each edge in the stream network has been labeled with the grid_code. Also shown are attribute tables for the stream and catchment feature classes. **Map units are meters.**



Stream attribute table

OBJECTID *	Shape *	grid_code	from_node	to_node	Shape_Length
1	Polyline	241	239	247	809.558441
2	Polyline	236	236	247	2609.92424
3	Polyline	250	247	263	3396.761902
4	Polyline	258	260	263	5329.995667
5	Polyline	263	263	289	5564.406922

Catchment attribute table

OBJECTID *	Shape *	grid_code	Shape_Length	Shape Area
1	Polygon	236	19650	9269999.9999
2	Polygon	241	13560	5024700.0000
3	Polygon	250	19380	7711200
4	Polygon	258	24360	14699700.000
5	Polygon	263	20160	11446199.999

Note. In the data presented above from ArcGIS data is displayed with many significant figures. In the calculations you are asked for below you do not need to retain more than 3 significant figures of precision.

An edge flag has been placed on edge 250 as indicated.

a) Indicate (with arrows on the diagram above) the **direction of flow** along each stream edge

DIRECTIONS INDICATED. DETERMINED FROM VISUAL
GRADIENT OR FROM + TO - NODES

b) List below the **grid_code** attribute of the edges that would be selected by a **Trace Upstream** operation and calculate the **total drainage area (m²)** of the network so selected. Remember that a trace operation always includes the edge on which the edge flag is located.

$$\begin{aligned} \text{GRID CODES} &= \underline{241}, \underline{250}, \underline{236} \\ \text{AREA} &= (5.025 + 7.711 + 9.27) \times 10^6 \\ \text{TOTAL} &= \underline{22.03 \times 10^6 \text{ m}^2} \end{aligned}$$

c) List below the **grid_code** attribute edges that would be selected by a **Trace Downstream** operation and calculate the **total length (m)** of the flow path selected

$$\begin{aligned} \text{GRID CODES} &= \underline{250}, \underline{253} \\ \text{LENGTH} &= 3397 + 5564 \\ \text{TOTAL} &= \underline{8961 \text{ m}} \end{aligned}$$

d) Assume a mean annual rainfall of 30 in/yr over these watersheds and a runoff coefficient of 0.15, calculate the **mean annual flow rate** (ft^3/s) at the downstream end of edge 250. Note that $1 \text{ m}^2 = 10.763 \text{ ft}^2$.

$$\begin{aligned} \text{Area} &= 22.03 \times 10^6 \text{ m}^2 \\ &= 22.03 \times 10^6 \times 10.763 \\ &= 237.14 \times 10^6 \text{ ft}^2 \end{aligned}$$

$$\begin{aligned} \text{VOL RAIN} &= \frac{30}{12} \times 237.14 \times 10^6 \\ &= 592.8 \times 10^6 \text{ ft}^3 \end{aligned}$$

$$\begin{aligned} \text{VOL RUNOFF} &= 0.15 \times 592.8 \times 10^6 \\ &= 88.92 \times 10^6 \text{ ft}^3 \end{aligned}$$

SECONDS IN YEAR FOR LEAD YEAR ON AVERAGE

$$\begin{aligned} &365.25 \times 24 \times 3600 \\ &= 31557600 \end{aligned}$$

MEAN ANNUAL FLOW RATE

$$\begin{aligned} &= \frac{88.92 \times 10^6}{31557600} \\ &= 2.818 \text{ ft}^3/\text{s} \end{aligned}$$